Financial Markets and Instruments - 9/12/12
Wednesday, September 12, 2012
11:30 AM


Screen clipping taken: 9/12/2012 11:32 AM

- Some people are not using banks at all (to avoid fees) (Page A1 of WSJ)
- Uses a debit card from a "nonbank bank"
- Whistleblower from Swedish tax-fraud case against UBS awarded $\$ 104$ million
- Exchanges plot fixes for their glitches
- Ongoing problem with Knight capital
- Uncle Sam has an Inflation Deal for you
- Important section to read everyday
- Some Funds Dip Toe back into Egypt
- Things that happen around the world can have national effects

For next Wednesday's class, get into groups for the second midterm (preferably groups of 4) with 4-6 topics to write about
Chapter 3 - Interest Rates and Security Valuation

Class Example:
7 year, $6 \%$ semi-annual coupon, FV \$1000, $10 \%$ semi-annual interest

|  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 1 | 2 | 3 | 4 | 5 |

Key Phrases:

- Coupon rate
periodic cash flow a bond issuer contractually promises to pay a bond holder
- Required rate of return (r)
rates used by individual market participants to calculate fair present values ( $P V$ )
- Expected rate of return or $E(r)$
rates participants would earn by buying securities at
current market prices $(P)$ current market prices ( $P$ )
- Realized rate of return ( $\bar{r}$ )
rate actually earned on investments
$(1.05)^{2}=1.1025$
EAR $=10.25 \%$



## NEW PROBLEM

7 year, $6 \%$ semi-annual coupon, FV \$1000, 10\% EAR interest

|  |  | $\mid$ | $\mid$ |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 1 | 2 | 3 | 4 | 5 |$|$


| 30 |
| :--- |
| $(1+r)^{\frac{1}{2}}$ |$+\frac{30}{(1+r)}+\frac{30}{(1+r)^{\frac{3}{2}}}+\frac{30}{(1+r)^{2}}+\frac{30}{(1+r)^{\frac{5}{2}}}+\frac{30}{(1+r)^{3}}+\frac{30}{(1+r)^{\frac{7}{2}}}+\cdots+\frac{1,030}{(1+r)^{7}}$

$\mathrm{EAR}=10 \%$


$$
\mathrm{n}=14 \quad \mathrm{FV}=1,000
$$

$$
\mathrm{PMT}=30 \mathrm{PV}=802.0271812
$$

$$
\%=4.88088
$$

$(1+E S R)^{2}=1+E A R$
Value of Stock:
$P_{0}=\frac{\operatorname{Div}_{1}}{r-g}$
(short version)
Growing Perpetuity
Growing Perp: $P V=\frac{c}{r-g}$
Growing Annuity: $P V=\frac{C}{r-g}\left(1-\frac{1+g}{}_{1+r}{ }^{N}\right)$

| $a=\frac{C}{1+r}$ | 0 | 1 | 2 | 3 | 4 | 5 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |

$x=\frac{1+g}{1+r} \quad \mathrm{PV}=\quad \frac{c}{1+r}+\frac{c(1+g)}{(1+r)^{2}}+\frac{c(1+g)^{2}}{(1+r)^{3}}+\frac{c(1+g)^{3}}{(1+r)^{4}}+\frac{c(1+g)^{4}}{(1+r)^{5}}$
$\mathrm{PV}=\mathrm{a}+\mathrm{ax}+a x^{2}+a x^{3}+a x^{4}$
$\mathrm{PV}=\quad \frac{a}{1-x}=\frac{\frac{c}{1+r}}{1-\frac{1+g}{1+r}}$

## Relation between Interest Rates and Bond Values

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Impact of Coupon Rates on Price Volatility


Impact of Maturity on Price Volatility (a)

| Absolute Value of |
| :--- |
| Percent Change in a |
| Bond's Price for a |
| Given Change in |
| Interest Rates |
|  |

## Impact of $r$ on Price Volatility

Bond Price


