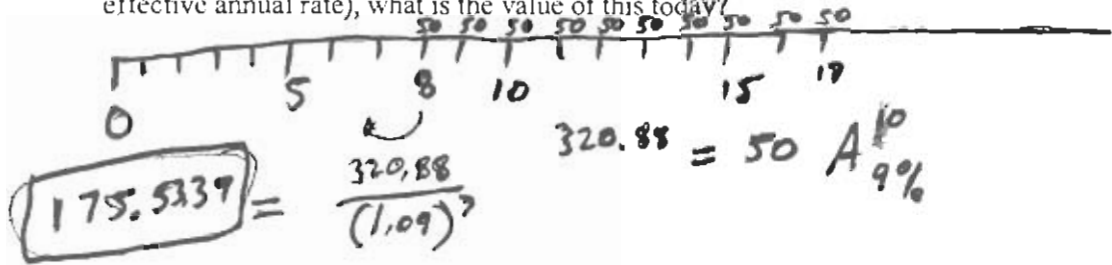
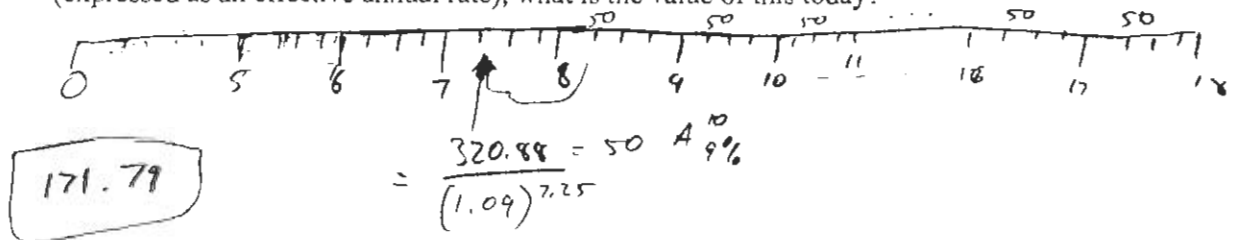


Problems from Chapters 4, 5, and 7

1. Suppose someone will pay you \$50 a year for ten years. However, the first payment of \$50 won't start until 8 years from now. If interest rates are 9% (expressed as an effective annual rate), what is the value of this today?



2. Suppose someone will pay you \$50 a year for ten years. However, the first payment of \$50 won't start until 8 years and three months from now. If interest rates are 9% (expressed as an effective annual rate), what is the value of this today?



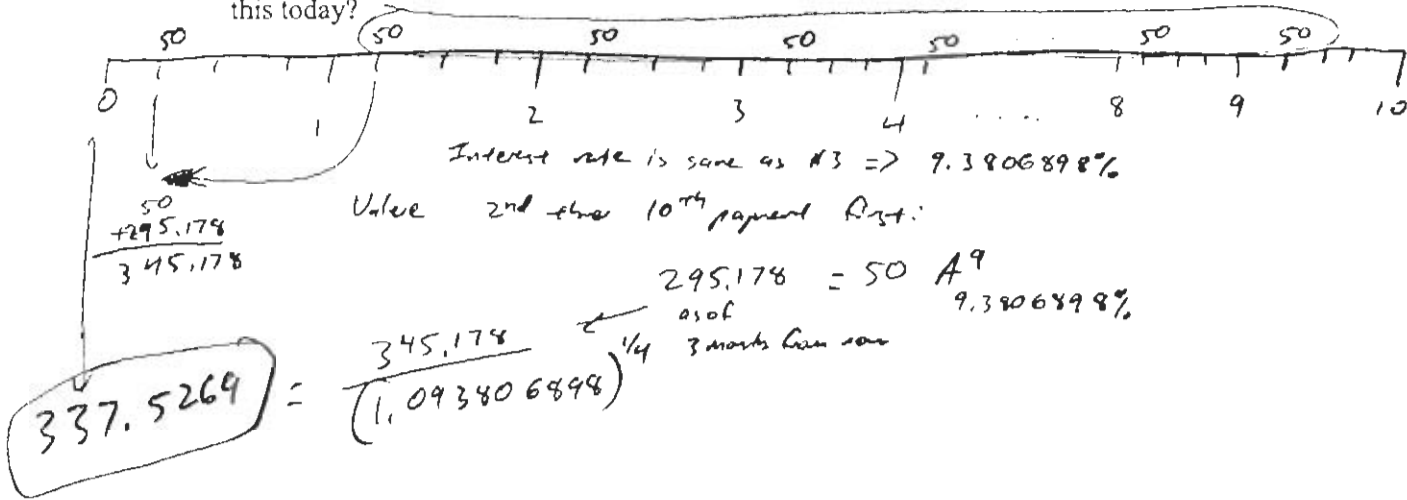
3. Suppose someone will pay you \$50 a year for ten years. However, the first payment of \$50 won't start until 8 years and three months from now. If interest rates are 9%, compounded monthly, what is the value of this today?

Same time line as #2

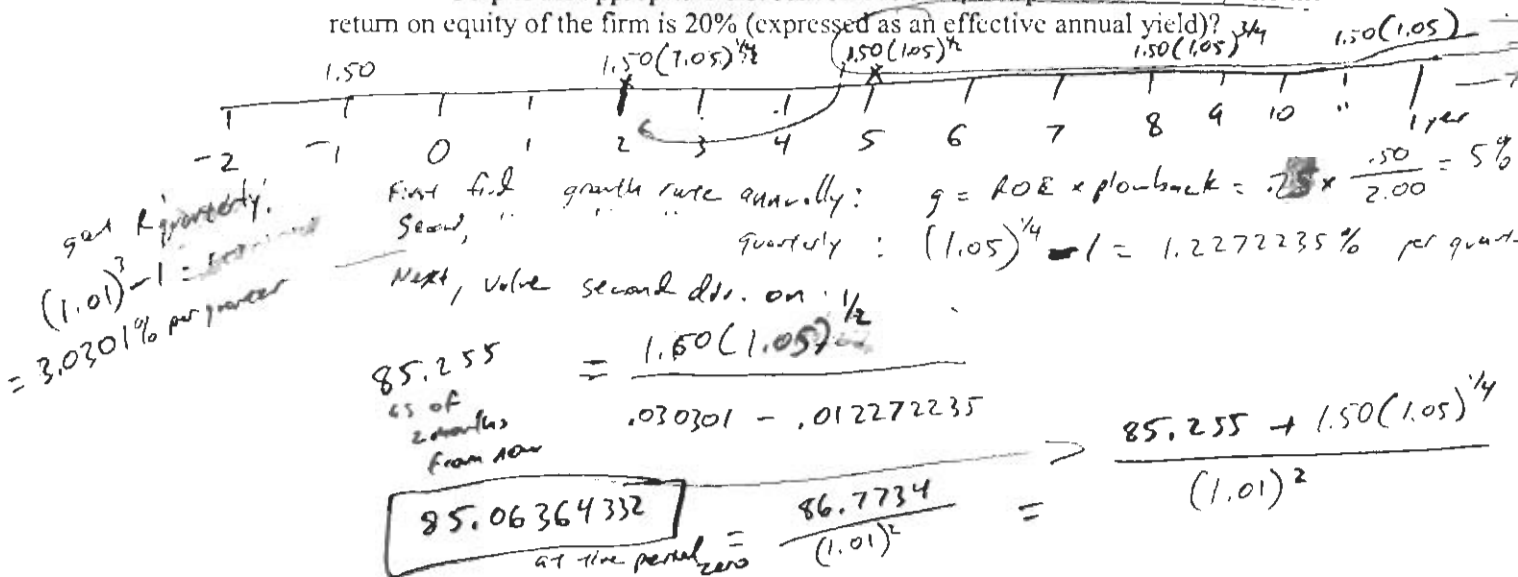
Interest rate is $(1 + \frac{.09}{12})^{12} - 1 = 9.3806898\%$

Calculation: $164.7339675 = \frac{315.5752}{(1.093806898)^{7.25}} = 50 A_{\overline{10}|9.3806898\%}$

4. Suppose someone will pay you \$50 a year for ten years, with the first payment three months from now. If interest rates are 9%, compounded monthly, what is the value of this today?



5. One month ago, MAG Corp. recorded earnings of \$2.00 and paid a \$1.50 dividend. Assuming MAG Corp. pays its dividends quarterly, what is the most you would pay for MAG Corp if the appropriate discount rate is 12%, compounded monthly and the return on equity of the firm is 20% (expressed as an effective annual yield)?



6. What is the price of a nine-year 8% annual coupon bond with a face value of \$1000 if the appropriate discount rate is 9% (effective annual rate)?

$$\frac{80}{.09} \left[1 - \frac{1}{(1.09)^9} \right] + \frac{1000}{(1.09)^9} = 940.0475311$$

7. What is the price of a nine-year 8% semi-annual coupon bond with a face value of \$1000 if the appropriate discount rate is 9% (effective annual rate)?

$$950.6065147 = \frac{40}{.044030651} \left[1 - \frac{1}{(1.044030651)^{18}} \right] + \frac{1000}{(1.09)^9}$$

$(1.09)^{1/2} - 1 = 4.403065\%$